

## Statistics – TI 84 Calculator

### Population MEAN (averages)

#### CONFIDENCE INTERVALS

Calculator function: **STAT - Tests – Tinterval**

Input: (choose either “stats” – when you have only a summary (mean & std dev) of the data or “data” – when you have all the data in a table or list)

“stats”

$\bar{x}$ : sample mean

$S_x$ : sample standard deviation

n: sample size

C-level: confidence level

“data”

list: list that has data (*ex*  $L_1$ )

freq: 1

C-level: confidence level

Output: (lower number, upper number) {this is the confidence interval}

$\bar{x}$  {sample average}

$S_x$  {sample std dev}

n {sample size}

Interpreting the interval:

“We are \_\_\_\_\_% confident the true population mean or average is between # and #.”

Margin of error: ME = (upper number – lower number) / 2

#### HYPOTHESIS TESTING

Hypotheses: Null  $H_0: \mu = \#$   
Alternative  $H_A: \mu \neq \#$  OR  $H_A: \mu < \#$  OR  $H_A: \mu > \#$

Calculator function: **STAT - Tests - T Test**

Input: choose either “stats” or “data”

“stats”

$\mu_0$ : number from hypothesis

$\bar{x}$ : sample mean

$S_x$ : sample standard deviation

n: sample size

$\mu: \neq < >$  (alternative hypothesis)

“data”

$\mu_0$ : number from hypothesis

list: list that has data (*ex*  $L_1$ )

freq: 1

$\mu: \neq < >$  (alternative hypothesis)

Output:  $\mu$  {alternative hypothesis}

t {test statistic – the number of std devs the sample is from the null hypothesis}

p {P-value – the probability of getting the sample IF the null hypothesis is true}

$\bar{x}$  {sample mean}

$S_x$  {sample standard deviation}

n {sample size}

Making a Conclusion:

- If P-value  $< \alpha$  (the level of significance) then we “reject the null hypothesis” and accept the alternative hypothesis. “There is evidence to suggest that the alternative hypothesis is correct”

- If P-value >  $\alpha$  (the level of significance), then we “fail to reject the null hypothesis” but cannot conclude the null is true; there is not enough evidence to decide if null hypothesis is true or not. “There is insufficient evidence to reject the null hypothesis and accept the alternative.”

**Confidence Interval without using calculator function T-interval:**

(Keep as many decimals as possible. Do not round until the final calculation)

Calculate sample mean and standard deviation:  $\bar{x}$  and  $S_x$

Calculate standard error:  $SD(\bar{y}) = \frac{S_x}{n}$

Calculate percent outside confidence interval:  $\alpha = \frac{(100 - CI\%)}{2}$  (convert to decimal form)

Calculate the degrees of freedom:  $df = n - 1$

Calculate critical value:  $t^* = \text{invT}(\alpha, df)$

Calculate margin of error:  $ME = t^* * SD(\bar{y})$

Confidence interval:  $\bar{x} \pm ME$

**Hypothesis Testing without using calculator function Ttest:**

Calculate sample mean and standard deviation:  $\bar{x}$  and  $S_x$

Calculate standard error:  $SD(\bar{y}) = \frac{S_x}{n}$

Calculate test statistic:  $t = \frac{\bar{x} - \mu_0}{SD(\bar{y})}$

Calculate the degrees of freedom:  $df = n - 1$

Calculate P-value:  $p = \text{tcdf}(\text{lower}, \text{upper}, df)$

{lower and upper depend upon the alternative hypothesis. Sketch a t-curve centered at null hypothesis, plot the sample mean, and determine if the alternative range is above or below. Remember for a “not equal” alternative to multiply the P-value by 2}