## SETS VOCABULARY

$\underline{\boldsymbol{S e t}}$ - collection of objects. Use Capital letters to represent the set name.
Element - a member of a set. Use lowercase letters to represent the elements of the set.
The cardinal number of set $A$ is the number of elements in set $A$. It is denoted $n(A)$ and read "The number of elements in the set $A$ ". A set is finite if its cardinal number is a whole number. An infinite set is one that is not finite.

Example: $A=\{2,4,6,8\}$
2 is an element of A or $2 \in A$
3 is not an element of A or $3 \notin A$
The cardinality of set $A$ is 4 or $\mathrm{n}(A)=4$.
Set $A$ is a finite set

## Representing a Set with the Listing Method

Write the set by listing its elements inside braces.

## Example: $A=\{2,4,6,8, \ldots\}$

## Representing a Set with the Set-builder Notation

Is there a characteristic that all the elements in the set share that can be used to describe the set in words or by a formula?
Example: $A=\{2,4,6,8, \ldots\}=\{\mathrm{x} \mid \mathrm{x}$ is an even integer $\}$ We read this as "The set A is equal to x such that x is and even integer."

## Familiar Sets of Numbers

The set of Natural (counting) Numbers $\quad N=\{1,2,3, \ldots\}$
The set of Whole Numbers $W=\{0,1,2,3, \ldots\}$
The set of Integers $I=\{\ldots,-2,-1,0,1,2, \ldots\}$
The set of Rational Numbers (fractions) $Q=\{x: x$ can be written in the form $a / b$, where $a$ and $b$ are integers and $b$ is not zeros
The set of Real Numbers $R=\{x: x$ has a decimal expansion $\}$
A set is well-defined if we are able to tell whether any particular object is an element of that set or not.
Example: $A=\{2,4,6,8, \ldots\}$ is well-defined because we know what numbers belong to A and what numbers do not belong to A
$B=\{$ tall men $\}$ is not well-defined because the definition of "tall" is not specific
The set that contains no elements is called the empty set or null set. This set is labeled by the symbol $\varnothing$. Another notation for the empty set is $\}$.

The universal set is the set of all elements under consideration in the problem and is denoted by the capital letter $U$.

